Foundations of Databases

Corrections to Slides

v2 - April 11, 2005

"Datalog":

• Slide 26:

"K \cup new facts" should be: "I \cup new facts"

• Slide 34:

Definition of continuous operator: " $V \subseteq U$ " should be changed to increasing chain $V \subseteq U$, i.e., $V = \{x_i \mid i \in \mathbb{N}\}$ and $x_i \leq x_{i+1}$, for all $i \in \mathbb{N}$." where $\mathbb{N} = \{0, 1, 2, ...\}$ are the natural numbers. In fact, Kleene's Theorem holds for continuous operators on complete partial orders (U, \leq) , which are those partial orders such that sup(V) exists for each increasing chain $V \subseteq U$.

"Datalog Evaluation":

• Slide 6: Removing constants from the head as described makes rules unsafe. Relation constants (i.e., for each $c \in \text{dom}$ a unary relation R_c with fixed value $R_c = \{c\}$) avoid this problem. Then $p(..., c, ...) \leftarrow ...$ is rewritten to $p(..., x, ...) \leftarrow ..., R_c(x)$ where x is a fresh variable.

"Recursion in Relational Calculus and Algebra":

- Slide 5: " $\rho_{A \leftarrow To}(G)$ " should be " $\rho_{A \leftarrow To}(T)$ "
- Slide 8: "For each input G" one should be "In this case, for each input G"

"Datalog with Negation":

• Slide 16:

Result of Evalute P_1 should be $\mathbf{J}_1 = \{man(dilbert)\}$. (The *edb* predicates must be respected as well).

• Slide 9:

" $\mathbf{I}|edb(P) = \mathbf{J}|edb(P)$ implies $\mathbf{T}_P(\mathbf{I}) \subseteq \mathbf{T}_P(\mathbf{J})$ " should be " $\mathbf{I}|edb(P) = \mathbf{J}|edb(P)$ and $\mathbf{I} \subseteq \mathbf{J}$ implies $\mathbf{T}_P(\mathbf{I}) \subseteq \mathbf{T}_P(\mathbf{J})$ "